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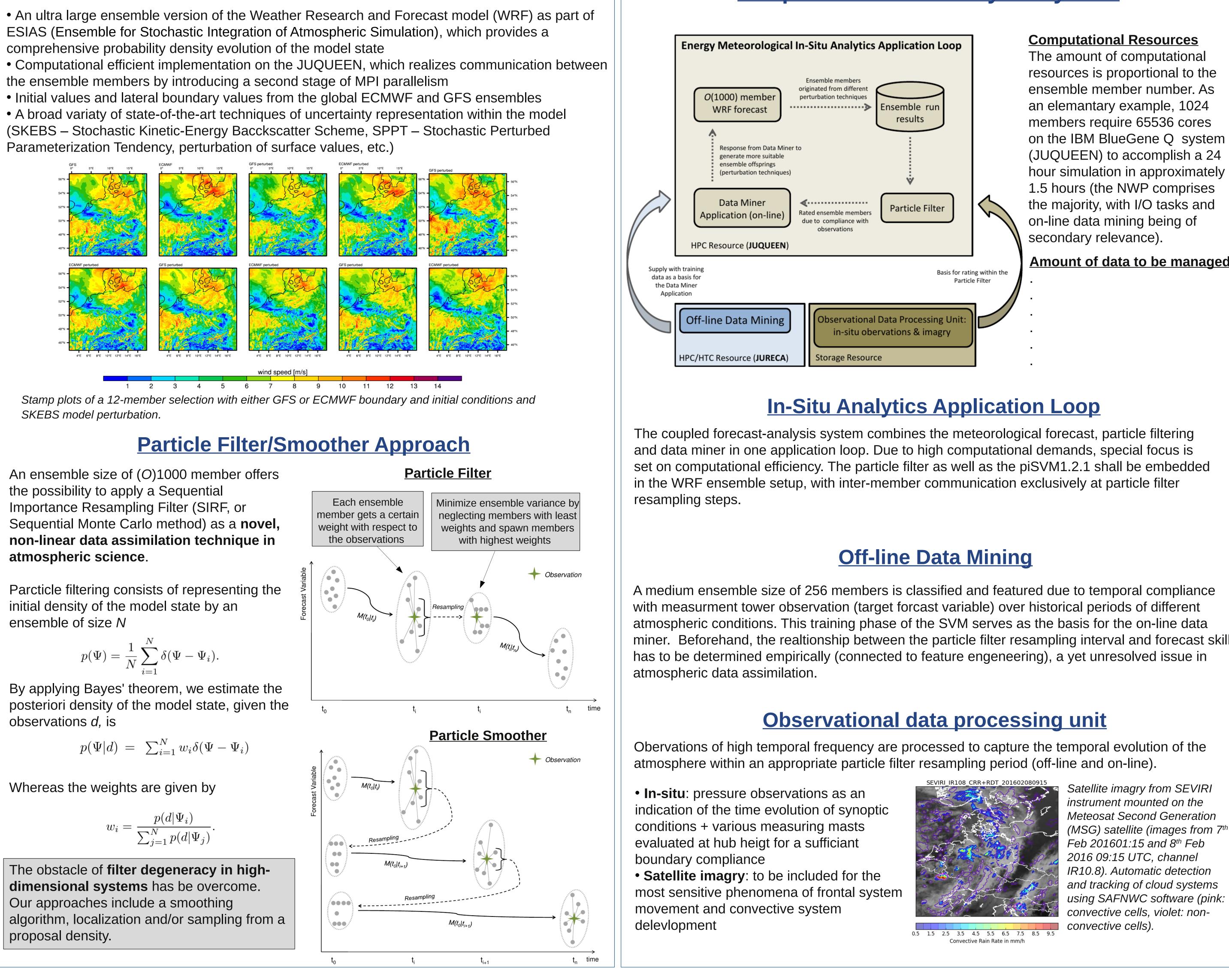
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The stochastic nature of weather imposes wind and solar power as an uncertain source of electrical energy. Stable power grid management and energy trade on stock markets call for improvement of probabilistic wind and solar power forecasts. The major potential lies in the improvement of the underlying weather forecast.

### **Meteorological Ensemble**

comprehensive probability density evolution of the model state the ensemble members by introducing a second stage of MPI parallelism





SKEBS model perturbation.

An ensemble size of (*O*)1000 member offers the possibility to apply a Sequential Importance Resampling Filter (SIRF, or Sequential Monte Carlo method) as a **novel**, non-linear data assimilation technique in atmospheric science.

Parcticle filtering consists of representing the initial density of the model state by an ensemble of size N

$$p(\Psi) = \frac{1}{N} \sum_{i=1}^{N} \delta(\Psi - \Psi_i).$$

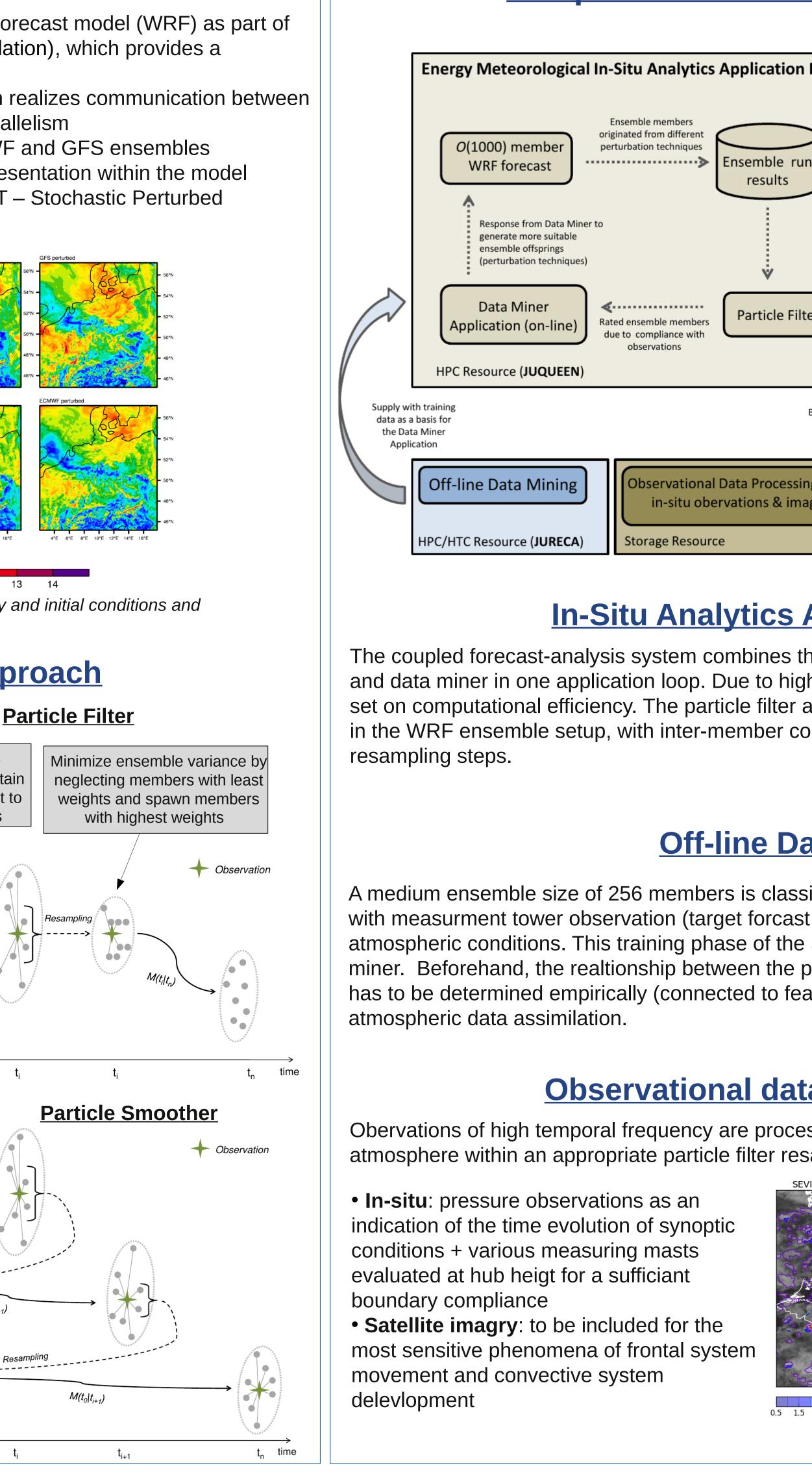
By applying Bayes' theorem, we estimate the posteriori density of the model state, given the observations *d*, is

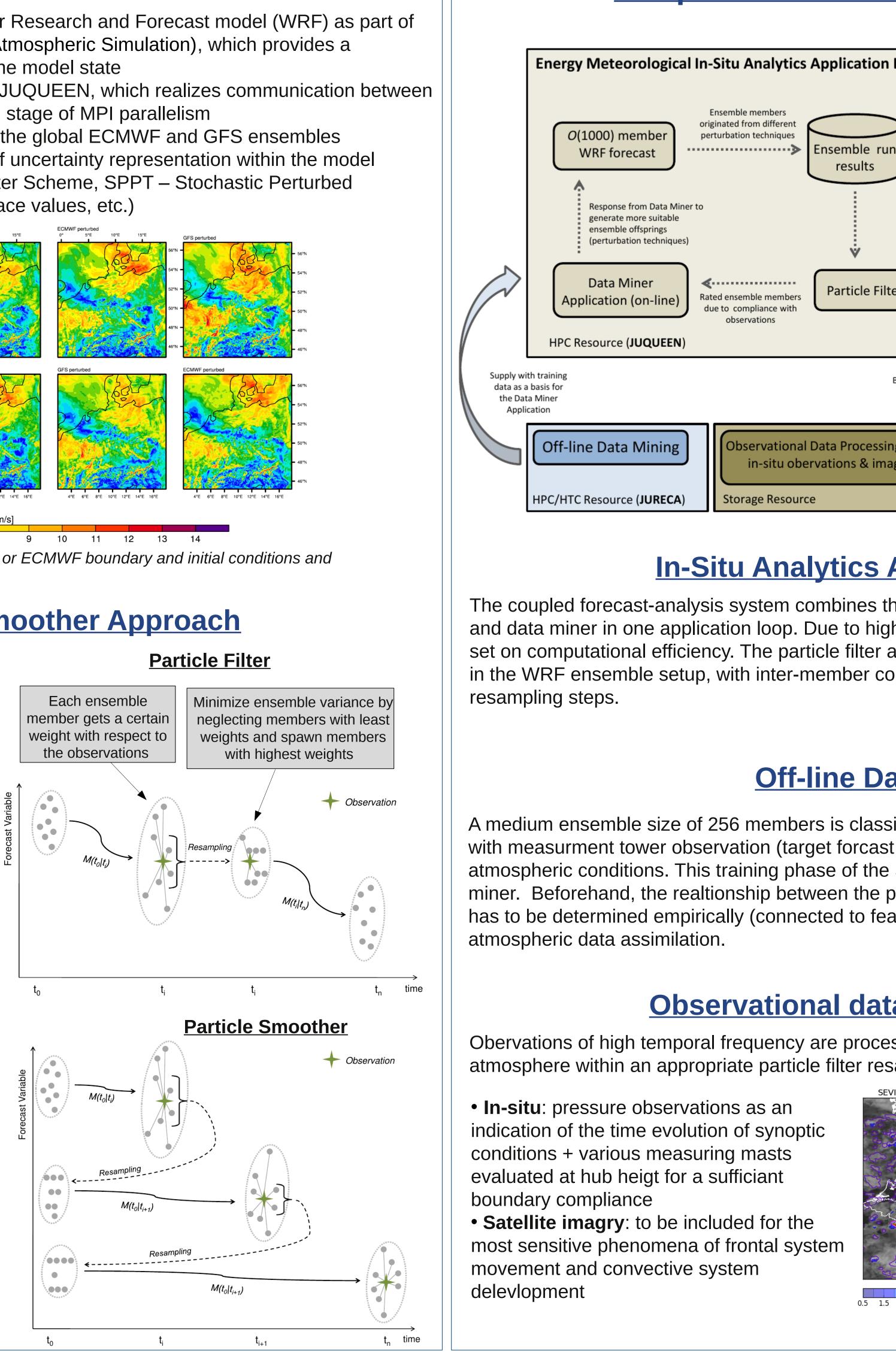
$$p(\Psi|d) = \sum_{i=1}^{N} w_i \delta(\Psi - \Psi_i)$$

Whereas the weights are given by

$$w_i = \frac{p(d|\Psi_i)}{\sum_{j=1}^N p(d|\Psi_j)}$$

The obstacle of filter degeneracy in highdimensional systems has be overcome. Our approaches include a smoothing algorithm, localization and/or sampling from a proposal density.







# **Energy Meteorological In-Situ Big Data Analytics**

We make use of various perturbation techniques in the frame of a regional **meteorological ensemble with O(1000) members** to capture extreme error events and to improve skill scores of short and shortest range forecasts of wind speed at hub height (~ 100m) and irradiance.

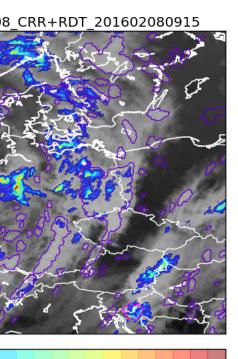
## **Background & Objective**

# **Coupled Forecast-Analysis System**

**Computational Resources** The amount of computational resources is proportional to the ensemble member number. As an elemantary example, 1024 members require 65536 cores on the IBM BlueGene Q system (JUQUEEN) to accomplish a 24 hour simulation in approximately 1.5 hours (the NWP comprises the majority, with I/O tasks and on-line data mining being of secondary relevance).

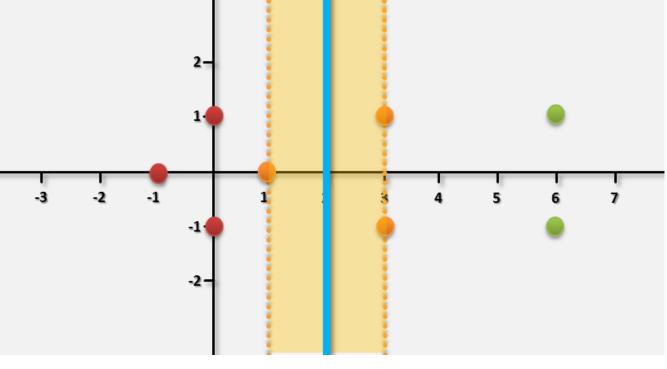
Amount of data to be managed

Particle Filter



3.5 4.5 5.5 6.5 7.5 Convective Rain Rate in mm/h

Satellite imagry from SEVIRI instrument mounted on the Meteosat Second Generation (MSG) satellite (images from 7<sup>th</sup> *Feb 201601:15 and 8th Feb* 2016 09:15 UTC. channel IR10.8). Automatic detection and tracking of cloud systems using SAFNWC software (pink: convective cells. violet: nonconvective cells)



### subject to

### **Data Preparation & Initial Studies**

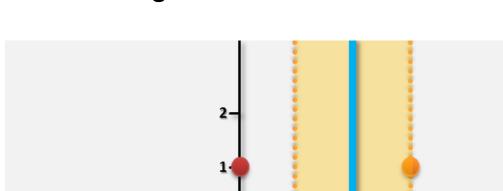
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A data mining application shall identify the relationship between observation compliance and perturbation techniques. This information serves as a basis to improve the further generation of ensemble members within a **particle filter algorithm**.

# **Data Mining Methodology**





• Classification methodology trains a model of the data given training set T

 $T = (x_1, y_1), \ldots, (x_n, y_n)$ 

• Supervised classification problem: Experts provide labels  $y_i$  data of WRF ensembles  $x_i$  quality • Multi-class design enabling scientists to label with an increasing range of quality classes • The trained model is then used with unseen WRF data to assign it to a quality class • Depending on the quality class predicted by the model WRF, ensembles are canceled/continued • Chosen algorithm to create a model are Support Vector Machines (SVM) with kernel methods

> In this simplified 2D example of a two class problem (red = bad WRF ensemble members, greed = good WRF ensemble members), SVM achieve the optimal decision boundary between both classes. While many lines will separate both classes in this example, SVM vill automatically learn via the training set the blue line as shown in the illustration. The interesting property of this blue line is that is offers the best generalization out of sample. In other words, once the training data has been used to train the model, the model will work quite well with unseen WRF ensemble members.

• Train a model with support vectors (cf. orange data in figure) is computationally complex • SVM needs to find the best decision boundary (aka points most far away from existing points) • It is a constraint optimization problem solved inherently with sequential minimal optimization • The optimization problem aims to maximize the margin (above orange background color)

$$\min_{w,\xi_i,b} \left\{ \frac{1}{2} \|\mathbf{w}\|^2 + C \sum_i \xi_i \right\}$$

 $y_i(\langle \phi(\mathbf{x}_i), \mathbf{w} \rangle + b) \ge 1 - \xi_i \quad \forall i = 1, \dots, n$  $\xi_i > 0 \qquad \forall i = 1, \dots, n.$ 

• The above formula is the dual notation of SVMs by performing minimization with constraints • The generalization parameter C steers how much errors in the training process we allow • This approach is a soft margin classifier with slack variables EPS as violations of margin • The optimization algorithm identified the support vectors that define the decision boundary

• The first dataset available is providing wind tower features with overall 3584 (100%) samples • We follow on approach to take 1/5 (717, 20%) for validation and 1/5 (717,20%) for testing • This leaves training data with 2150 (60%) samples in order to create a model of the data • Cross-validation is performed to optimize parameters, detailed accuracy results will follow